

Name \_\_\_\_\_

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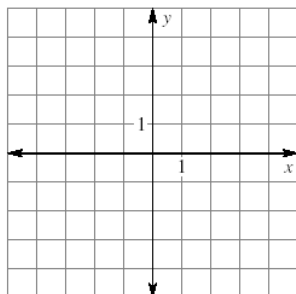
LESSON 9.5

**Practice B**

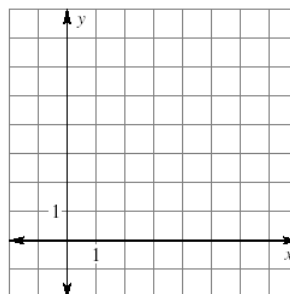
For use with pages 607–615

The endpoints of  $\overline{CD}$  are  $C(1, 2)$  and  $D(5, 4)$ . Graph the image of  $\overline{CD}$  after the glide reflection.

1. **Translation:**  $(x, y) \rightarrow (x - 4, y)$   
**Reflection:** in the  $x$ -axis

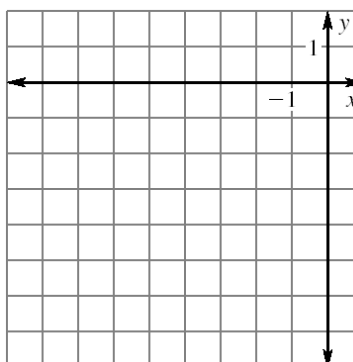
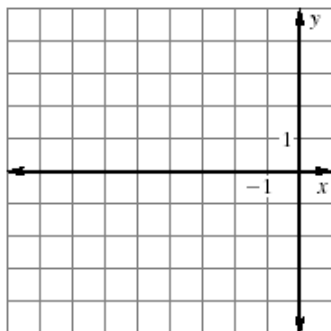


2. **Translation:**  $(x, y) \rightarrow (x, y + 2)$   
**Reflection:** in  $y = x$



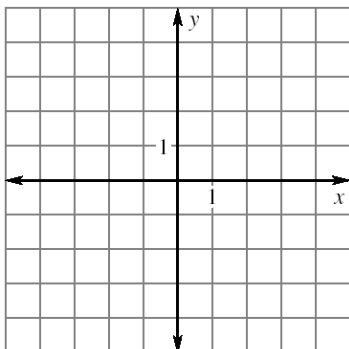
The vertices of  $\triangle ABC$  are  $A(3, 1)$ ,  $B(1, 5)$ , and  $C(5, 3)$ . Graph the image of  $\triangle ABC$  after a composition of the transformations in the order they are listed

3. **Translation:**  $(x, y) \rightarrow (x + 3, y - 5)$     4. **Translation:**  $(x, y) \rightarrow (x - 6, y + 1)$   
**Reflection:** in the  $y$ -axis                      **Reflection:**  $90^\circ$  about the origin

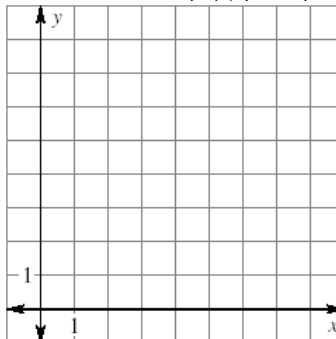


Graph  $\overline{F''G''}$  after a composition of the transformations in the order they are listed. Then perform the transformations in reverse order. Does the order affect the final image  $\overline{F''G''}$ ?

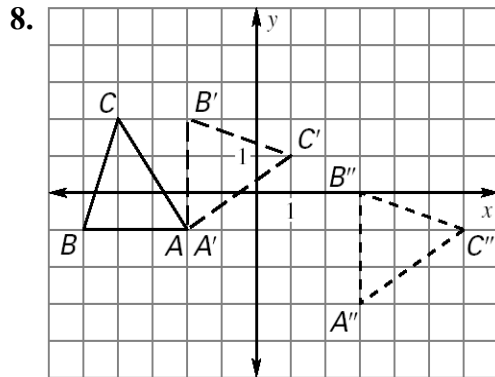
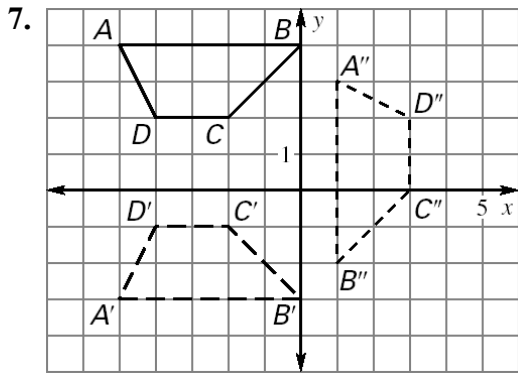
5.  $F(4, -4)$ ,  $G(1, -2)$   
**Rotation:**  $90^\circ$  about the origin  
**Reflection:** in the  $y$ -axis



6.  $F(-1, -3)$ ,  $G(-4, -2)$   
**Reflection:** in the line  $x = 1$   
**Translation:**  $(x, y) \rightarrow (x + 2, y + 10)$



Describe the composition of transformations.



In the diagram,  $k \parallel m$ ,  $\overline{AB}$  is reflected in line  $k$ , and  $\overline{A'B'}$  is reflected in line  $m$ .

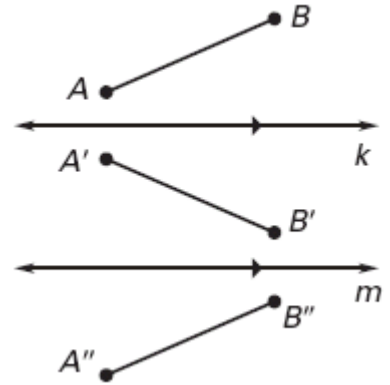
9. A translation maps  $\overline{AB}$  onto which segment?

10. Which lines are perpendicular to  $\overline{BB''}$ ?

11. Name two segments parallel to  $\overline{AA''}$ .

12. If the distance between  $A$  and  $m$  is 2.7 centimeters, what is the length of  $\overline{AA''}$ ?

13. Is the distance from  $A'$  to  $m$  the same as the distance from  $A''$  to  $m$ ? Explain.



Find the angle of rotation that maps  $A$  onto  $A''$ .

